

# Importers, Market Power and Optimal Tariffs

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September 30, 2026

Economics Seminar Series – Federal Reserve Bank of St. Louis

# Motivation

- Tariffs are back at the center of trade policy
- Canonical terms-of-trade argument calls for positive tariffs
  - ▶ Foreign exporters lower prices when a country restricts import demand
  - ▶ These gains must be weighed against the costs of restricting imports
- In the data, importers are few, large and charge higher markups
  - ▶ Suggests imports are already too low, even absent tariffs
  - ▶ So tariffs may amplify existing distortions and are potentially costly

**What is the optimal tariff in an economy that matches these facts?**

# This Paper

- International trade model with two key features
  1. Heterogeneous firms pay fixed cost to import intermediate inputs
  2. Markups that increase with firm size
- Derive optimal tariff formula in static economy
  - ▶ Intuition about how distortions shape cost of restricting imports
- Quantify gains from trade and optimal tariff
  - ▶ Both simple static model and richer dynamic model with transition dynamics

# Findings

- The planner wants **more trade, concentrated in productive firms**  
Importer mass rises only 5.5%  $\rightarrow$  8.7%, but importer employment rises 50%  $\rightarrow$  96%
- Tariffs **exacerbate** this pre-existing distortion  
10% tariff: consumption  $-0.75\%$  versus  $+0.33\%$  under CES
- **Same** trade elasticity, roughly **twice** the gains from trade  
Moving to autarky lowers consumption  $\sim 10\%$  versus  $\sim 5\%$  under CES
- Optimal policy flips sign:  
**12% Kimball import subsidy** versus **10.3% CES tariff**

# Outline

- Motivating Facts
- Static Model
- Calibration and Trade Margins
- Distortions and Gains from Trade
- Optimal Tariffs
- Dynamics

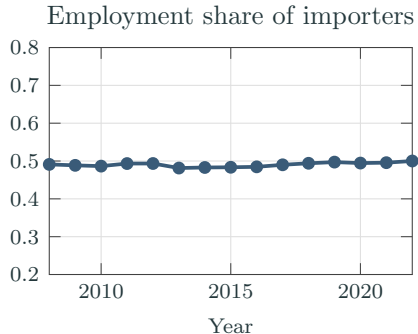
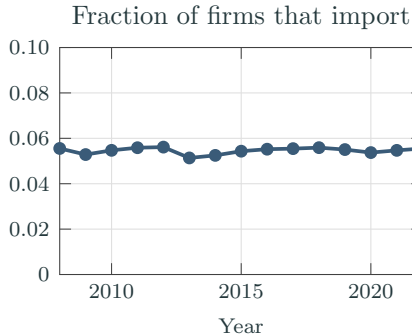
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# Imported Inputs are Used by a Few Large Producers

- Most trade is in intermediate goods (Jones, Shikher, Yotov, 2025)



- Only 5.55% of firms import directly, yet account for  $\sim 50\%$  of employment

**Heterogeneous firms pay fixed cost to import intermediate inputs**

# Markups and Pass-Through

- Importers have higher labor productivity  
Bernard–Jensen–Redding–Schott: value added per worker is 25% higher
- Markups vary systematically with firm size  
Amiti–Itskhoki–Konings: larger firms adjust markups more strongly
- Cost pass-through is incomplete  
Amiti–Itskhoki–Konings: firms pass through about 62% of cost shocks

**Kimball for size-dependent markups and incomplete pass-through**

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# Static Economy

- Two symmetric countries: Home and Foreign
- Representative household supplies labor and owns domestic firms  
Budget constraint:  $C = WL + \Pi + T$
- Heterogenous firms produce differentiated varieties  
Use labor  $l(z)$  and intermediates  $x(z)$ , choose importer status  $\{n, m\}$
- Final good is used for consumption and inputs

# Endogenously Variable Markups

- Final output aggregates firm varieties through Kimball demand

$$\int_0^1 \Upsilon(q_i) di = 1, \quad q_i \equiv \frac{y_i}{Y}$$

- Inverse demand is

$$p_i = D \Upsilon'(q_i), \quad D = \left( \int_0^1 \Upsilon'(q_i) q_i di \right)^{-1}$$

- Klenow-Willis demand implies size-dependent markups

$$\mu_i = \frac{\sigma}{\sigma - q_i^{\varepsilon/\sigma}}$$

# Production and Firm Heterogeneity

- Firms differ in productivity, which is Pareto distributed

$$F(z) = 1 - z^{-\eta}, \quad z \geq 1, \quad \eta > 1$$

- Each firm produces a differentiated variety using labor and intermediates

$$y_j(z) = z l_j(z)^\nu x_j(z)^{1-\nu}$$

- Firms choose whether to operate as a non-importer or an importer

$$j \in \{n, m\}$$

Importer status determines how the firm sources its intermediate inputs

# Input Sourcing

- Non-importers source all intermediate inputs domestically  $P_n = 1$
- Importers combine Home and Foreign inputs

$$x_m(z) = \left[ x_m^h(z)^{\frac{\gamma-1}{\gamma}} + x_m^f(z)^{\frac{\gamma-1}{\gamma}} \right]^{\frac{\gamma}{\gamma-1}}$$

- Foreign inputs cost  $\tau = (1 + \xi)(1 + \kappa)E$  and cost minimization implies

$$P_m = \left[ 1 + \tau^{1-\gamma} \right]^{\frac{1}{1-\gamma}} < 1 = P_n$$

Here  $\xi$  is the tariff,  $\kappa$  is the iceberg cost, and  $E$  is the real exchange rate

# Costs and Pricing

- The composite unit cost under status  $j$  is

$$\Omega_j = \left(\frac{W}{\nu}\right)^\nu \left(\frac{P_j}{1-\nu}\right)^{1-\nu}$$

- Firms charge a markup over marginal cost

$$p_j(z) = \mu_j(z) \frac{\Omega_j}{z}$$

**Importing lowers cost, expands scale, and raises markups**

# The Importing Decision

- Importing requires a fixed cost  $f_m$  in units of final output
- Operating profits under status  $j \in \{n, m\}$  are

$$\pi_j(z) = p_j(z) y_j(z) \left(1 - \frac{1}{\mu_j(z)}\right)$$

- The marginal importer is indifferent

$$f_m = \pi_m(\bar{z}) - \pi_n(\bar{z}), \quad \lambda_m = 1 - F(\bar{z}) = \bar{z}^{-\eta}$$

Here  $\bar{z}$  is the importing cutoff and  $\lambda_m$  is the fraction of importers

# Equilibrium

- Labor market clearing

$$L = \int_1^{\bar{z}} l_n(z) dF(z) + \int_{\bar{z}}^{\infty} l_m(z) dF(z)$$

- Balanced trade pins down the real exchange rate

$$(1 + \kappa) \int_{\bar{z}^*}^{\infty} x_m^{*h}(z) dF(z) = (1 + \kappa) E \int_{\bar{z}}^{\infty} x_m^f(z) dF(z)$$

- Resource constraint

$$Y = C + X + \lambda_m f_m$$

# Aggregate Markup

- The aggregate markup is a harmonic sales-weighted average

$$\frac{1}{\mathcal{M}} = D \left[ \int_1^{\bar{z}} \frac{\Upsilon'(q_n(z))q_n(z)}{\mu_n(z)} dF(z) + \int_{\bar{z}}^{\infty} \frac{\Upsilon'(q_m(z))q_m(z)}{\mu_m(z)} dF(z) \right]$$

- $\mathcal{M}$  acts like a wedge on variable inputs

$$\frac{WL}{Y} = \frac{\nu}{\mathcal{M}} \quad \text{and} \quad \frac{X}{Y} = \frac{1 - \nu}{\mathcal{M}}$$

# Aggregate Productivity

- Aggregate output can be written as  $Y = ZL$  such that

$$Z = \left( \frac{1 - \nu}{\mathcal{M}} \right)^{\frac{1-\nu}{\nu}} \mathcal{Q}^{-\frac{1}{\nu}}$$

- The allocation index  $\mathcal{Q}$  is

$$\mathcal{Q} = \int_1^{\bar{z}} \frac{q_n(z)}{z} dF(z) + P_m^{1-\nu} \int_{\bar{z}}^{\infty} \frac{q_m(z)}{z} dF(z)$$

**Productivity falls when production shifts away from efficient importers**

# Outline

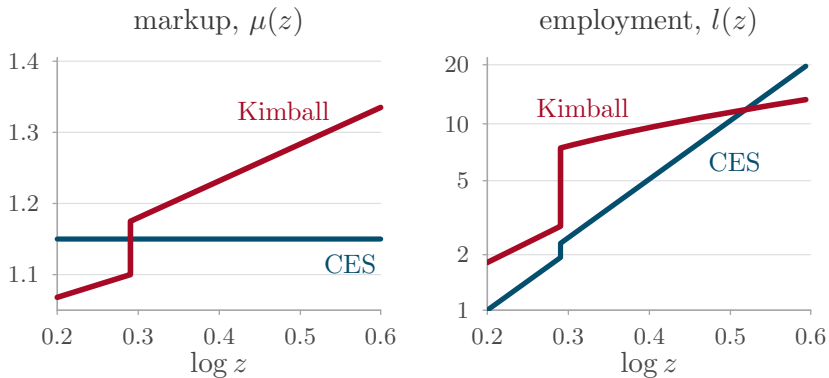
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# Calibration Targets

|                           | Data | Kimball | CES  |
|---------------------------|------|---------|------|
| Aggregate markup          | 1.15 | 1.15    | 1.15 |
| Pass-through              | 0.62 | 0.62    | 1.00 |
| Input share               | 0.42 | 0.42    | 0.42 |
| Trade elasticity          | 4.00 | 4.00    | 4.00 |
| Import share              | 0.08 | 0.08    | 0.08 |
| Importer mass             | 0.06 | 0.06    | 0.06 |
| Importer employment share | 0.50 | 0.50    | 0.50 |

- **Key Difference:** how the trade elasticity of 4 is generated

# The Marginal Importer Is Large



Employment of marginal importer: **7.0 Kimball** vs **3.2 CES**

## Same Trade Elasticity, Different Margins

- Decompose the response of Foreign relative to Home input spending

$$\mathcal{A} \equiv -\frac{d \log ((1-\lambda) / \lambda)}{d \log \tau} = \underbrace{-\frac{\partial \log ((1-\lambda) / \lambda)}{\partial \log \tau} \Big|_{\bar{z}}}_{\mathcal{A}^{\text{int}}} + \underbrace{-\frac{\partial \log ((1-\lambda) / \lambda)}{\partial \log \bar{z}} \Big|_{\tau} \frac{d \log \bar{z}}{d \log \tau}}_{\mathcal{A}^{\text{ext}}}$$

- ▶ **Intensive:** substitution and contraction of continuing importers
- ▶ **Extensive:** firms switch out of importing

Same aggregate elasticity, but Kimball is much more selection-heavy

## Why Kimball Implies Lower $\gamma$

- The extensive margin depends on the size of firms around the cutoff

$$\mathcal{A}^{\text{ext}} = \frac{1 - \omega}{\lambda} \left[ \frac{l_m(\bar{z})}{L_m} + \frac{l_n(\bar{z})}{L_n} \right] \eta \lambda_m \frac{d \log \bar{z}}{d \log \tau} + \text{reallocation}$$

- Marginal firms are much larger under Kimball  $\implies \mathcal{A}^{\text{ext}} = \mathbf{2.4}$  vs  $\mathbf{1.1}$
- Since  $\mathcal{A} = 4$  in both economies  $\implies \mathcal{A}^{\text{int}} = \mathbf{1.6}$  vs  $\mathbf{2.9}$
- The intensive margin is  $\mathcal{A}^{\text{int}} = (1 - \nu)(\gamma - 1) + \nu \left[ -\frac{1}{\vartheta} \frac{\partial \log(L_m/L_n)}{\partial \log \tau} \Big|_{\bar{z}} \right]$

Substitution Foreign-Domestic Inputs ( $\gamma$ ):  $\mathbf{2.3}$  Kimball vs  $\mathbf{3.8}$  CES

## Lower $\gamma$ Makes Importing More Valuable

- Let  $\vartheta$  be the imported share of an importer's input spending

$$\vartheta \equiv \frac{\tau x_m^f(z)}{P_m x_m(z)} = \frac{\tau^{1-\gamma}}{1 + \tau^{1-\gamma}}, \quad \text{such that} \quad P_m = (1 - \vartheta)^{\frac{1}{\gamma-1}}$$

- $\vartheta$  is pinned down directly by the data  $\rightsquigarrow$  identical across models
- Lower  $\gamma$  therefore implies lower  $P_m$  and a larger gain from importing

Importer cost advantage: **16.1% Kimball** vs **8.0% CES**

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# Distortions

Distortions in the economy

$$Z = \left( \frac{1 - \nu}{\mathcal{M}} \right)^{\frac{1-\nu}{\nu}} \left( \int_1^{\bar{z}} \frac{q_n(z)}{z} dF(z) + P_m^{1-\nu} \int_{\bar{z}}^{\infty} \frac{q_m(z)}{z} dF(z) \right)^{-\frac{1}{\nu}}.$$

- **Intermediate inputs:** markups act like an input tax
- **Firm scale:** high-markup firms produce too little
- **Importer selection:** too few firms use the low-cost import technology

The novel distortion is the importing cutoff

# Why Too Few Importers?

- The **planner** values the change in social surplus from switching

$$\frac{f_m}{DY} = (\epsilon_m(\bar{z}) - 1) \Upsilon'(q_m(\bar{z})) q_m(\bar{z}) - (\epsilon_n(\bar{z}) - 1) \Upsilon'(q_n(\bar{z})) q_n(\bar{z})$$

- The **market** values the change in variable profits

$$\frac{f_m}{DY} = \frac{\mu_m(\bar{z}) - 1}{\mu_m(\bar{z})} \Upsilon'(q_m(\bar{z})) q_m(\bar{z}) - \frac{\mu_n(\bar{z}) - 1}{\mu_n(\bar{z})} \Upsilon'(q_n(\bar{z})) q_n(\bar{z})$$

- The common term  $\Upsilon'(q_j)q_j$  makes both valuations scale-dependent

If high-markup firms are too small, the private gain is evaluated at too small a scale

# How Distorted Is the Economy?

|                                                        | Baseline | Kimball      | CES   |
|--------------------------------------------------------|----------|--------------|-------|
| <b>Consumption gains from removing distortions (%)</b> |          |              |       |
| Overall                                                |          | <b>10.05</b> | 1.71  |
| Intermediate inputs only                               |          | 1.70         | 1.60  |
| Misallocation only                                     |          | <b>6.63</b>  | 0.00  |
| Fraction of importers only                             |          | <b>2.00</b>  | 0.10  |
| <b>Efficient allocations</b>                           |          |              |       |
| Importer mass                                          | 0.055    | 0.087        | 0.081 |
| Importer employment                                    | 0.500    | <b>0.963</b> | 0.556 |
| Import share                                           | 0.081    | <b>0.180</b> | 0.104 |

- **Kimball:** main correction is a reallocation of activity toward importers

# How Do Trade Costs Affect Productivity?

$$\frac{d \log Z}{d \log \tau} = \underbrace{\text{ACR}}_{\text{direct}} + \underbrace{\text{markup}}_{\mathcal{M}} + \underbrace{\text{reallocation}}_{q(z)} + \underbrace{\text{exit}}_{\bar{z}}$$

- **ACR:** direct effect of higher imported-input costs  $\propto \frac{1}{\mathcal{A}} \frac{d \log \lambda}{d \log \tau}$
- **Markup response:** changes in aggregate markup wedge  $\propto \frac{d \log \mathcal{M}}{d \log \tau}$
- **Quantity reallocation:** shifts in relative quantities
- **Importer exit:** firms losing access to the lower-cost importing technology

## A 10% Increase in Trade Cost $\tau$

| Effect on $\log Z$    | Kimball      | CES          |
|-----------------------|--------------|--------------|
| ACR                   | <b>-1.72</b> | <b>-1.72</b> |
| Aggregate markup      | <b>1.32</b>  | 0.00         |
| Quantity reallocation | -0.12        | 0.26         |
| Importer exit         | <b>-5.28</b> | -0.99        |
| Total                 | <b>-5.81</b> | -2.45        |

- **ACR:** same trade exposure and trade elasticity
- **Markups:** falling Kimball markups cushion the shock
- **Importer exit:** the dominant force is loss of importing technology

# Why Is Importer Exit So Costly?

TFP loss due to importer exit

$$\underbrace{\left(-\frac{d\lambda_m}{d\log\tau}\right)}_{\text{firms exiting}} \times \underbrace{\left(\frac{l_m(\bar{z})}{L}\right)}_{\text{marginal size}} \times \underbrace{\left(\frac{1}{P_m^{1-\nu}} - 1\right)}_{\text{cost advantage}}$$

|                                 | Kimball     | CES  |
|---------------------------------|-------------|------|
| Decline of importer mass, p.p.  | 2.1         | 1.9  |
| Employment of marginal importer | <b>7.0</b>  | 3.1  |
| Cost advantage, %               | <b>16.1</b> | 8.0  |
| Productivity contribution, p.p. | <b>-5.3</b> | -1.0 |

- **Kimball:** marginal firms are larger and lose a more valuable technology

# Distortions Amplify Trade-Cost Shocks

- Consumption net of tariff revenue as a function of allocations and trade costs

$$C - T = \hat{C}(a, \tau), \quad a = \text{allocations}$$

- An increase in trade costs has a **direct effect** and an **allocation effect**

$$\frac{d\hat{C}}{d\tau} = -\text{IM} + \nabla_a \hat{C}(a, \tau) \frac{da}{d\tau}$$

- Define  $\Delta$  as the **amplification due to distortions**

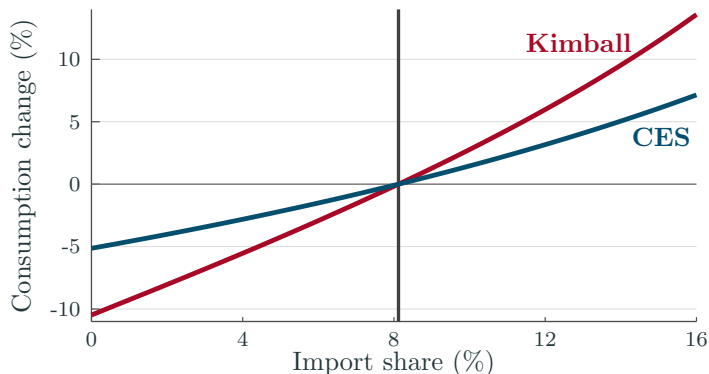
$$\frac{d(C - T)}{d\tau} \equiv -(1 + \Delta) \text{IM} \quad \text{such that} \quad \Delta \equiv -\frac{1}{\text{IM}} \nabla_a \hat{C}(a, \tau) \frac{da}{d\tau}$$

# Where Does Amplification Come From?

|                                 | Kimball          |                 | CES              |                 |
|---------------------------------|------------------|-----------------|------------------|-----------------|
|                                 | moving $\bar{z}$ | fixed $\bar{z}$ | moving $\bar{z}$ | fixed $\bar{z}$ |
| Overall amplification, $\Delta$ | <b>2.05</b>      | 0.79            | <b>0.41</b>      | 0.29            |
| Markup level                    | 0.29             | 0.29            | 0.29             | 0.29            |
| Markup response                 | -0.22            | -0.09           | 0.00             | 0.00            |
| Quantity reallocation           | 0.09             | 0.59            | -0.20            | 0.00            |
| Net loss from importer exit     | <b>1.89</b>      | 0.00            | 0.32             | 0.00            |

$1 + \Delta$  is **3.05 Kimball** versus **1.41 CES**

## Same Trade Elasticity, Different Gains



- **Kimball:** trade reallocates toward distorted importers  $\rightsquigarrow$  larger gains

$\mathcal{A}$  alone misses **who** gains access to importing and **how valuable** access is

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## A Tariff Does Not Raise $\tau$ One-for-One

- The effective cost of Foreign inputs is  $\tau = (1 + \xi)(1 + \kappa)E$
- Home import demand elasticity  $\mathcal{D} = -\frac{d \log \text{IM}}{d \log \tau}$
- Foreign export supply elasticity  $\mathcal{E} = -\frac{d \log (\text{EX}/E)}{d \log \tau^*}$
- Home tariff reduces import demand  $\rightsquigarrow$  appreciates Home currency

$$\frac{d \log E}{d \log (1 + \xi)} = -\frac{\mathcal{D}}{\mathcal{D} + \mathcal{E}}, \quad \frac{d \log \tau}{d \log (1 + \xi)} = \frac{\mathcal{E}}{\mathcal{D} + \mathcal{E}}.$$

## A 10% Home Tariff

|                                  | Kimball      | CES   |
|----------------------------------|--------------|-------|
| Exchange rate change, %          | -5.07        | -5.19 |
| Import share change, p.p.        | -1.91        | -1.74 |
| Importer mass change, p.p.       | -0.89        | -0.77 |
| Importer employment change, p.p. | <b>-7.41</b> | -3.02 |
| Productivity change, %           | <b>-2.49</b> | -1.00 |
| Consumption change, %            | <b>-0.75</b> | 0.33  |

- **Consumption difference:** domestic productivity, **not** terms of trade

# The Tariff Tradeoff

How does domestic consumption respond to a unilateral tariff?

$$\frac{d \log C}{d \log(1 + \xi)} = (1 + \kappa) \frac{E \text{ IM}}{C} \left( \underbrace{-\frac{d \log E}{d \log(1 + \xi)}}_{\text{terms of trade}} + \underbrace{\xi \frac{d \log \text{IM}}{d \log(1 + \xi)}}_{\text{tariff wedge}} - \underbrace{\Delta(1 + \xi) \frac{d \log \tau}{d \log(1 + \xi)}}_{\text{distortions}} \right)$$

- **Terms of trade:** tariff lowers the relative price of imports
- **Tariff wedge:** existing tariffs distort import demand
- **Domestic distortions:** tariff raises  $\tau$  and worsens misallocation

# Optimal Tariff Formula

Simple **optimal tariff** formula

$$\xi = \frac{1}{\mathcal{E}} \frac{\mathcal{D} - \mathcal{E}\Delta}{\mathcal{D} + \Delta}$$

- If  $\Delta = 0$ , the formula collapses to the standard  $\xi = \mathcal{E}^{-1}$
- Higher  $\mathcal{E}$  lowers the terms-of-trade motive: Foreign supply is more elastic
- Higher  $\mathcal{D}$  lowers the distortion cost: the tariff is absorbed less by Home  $\tau$
- Higher  $\Delta$  lowers the tariff because domestic distortions become more costly

**A subsidy is optimal when  $\mathcal{E}\Delta > \mathcal{D}$**

# Static Optimal Tariffs

|                            | Kimball          |                 | CES              |                 |
|----------------------------|------------------|-----------------|------------------|-----------------|
|                            | moving $\bar{z}$ | fixed $\bar{z}$ | moving $\bar{z}$ | fixed $\bar{z}$ |
| <b>Optimal tariff</b>      | <b>-8.1%</b>     | 29.6%           | <b>16.2%</b>     | 27.7%           |
| Home consumption change    | 0.25             | 0.61            | 0.37             | 0.71            |
| Foreign consumption change | 2.29             | -3.93           | -1.46            | -2.18           |
| Exchange rate change       | 4.78             | -15.1           | -8.04            | -13.2           |

- Selection lowers the optimal tariff in both economies
- Only selection plus variable markups reverses the sign

**The static optimal policy is an import subsidy**

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# Dynamic Model

- Add four macro margins

Elastic labor supply, capital, firm entry and trade imbalances

- Firms exit at rate  $\phi$  and entrants draw productivity

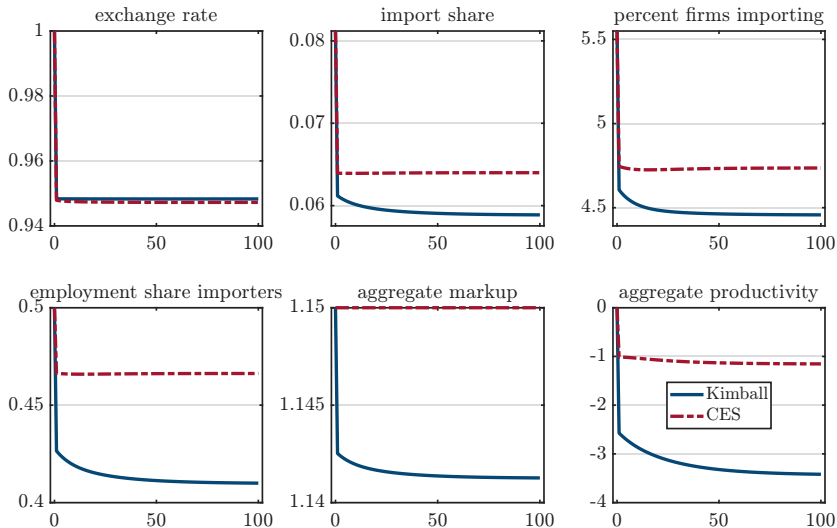
$$N_{t+1} = (1 - \phi)N_t + \tilde{N}_t$$

- Entry responds to firm value through  $\Phi_t \geq Q_t$

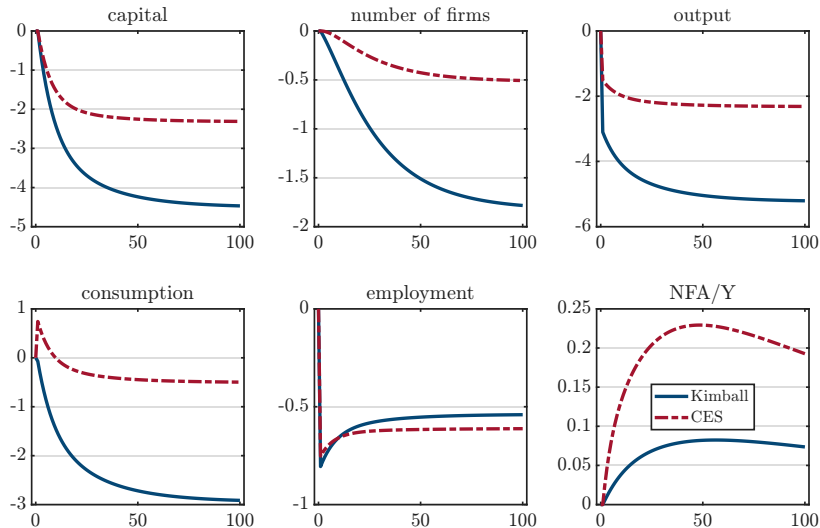
Positive entry drives the marginal entry cost  $\Phi_t$  to the value of a firm  $Q_t$

- Evaluate permanent tariff changes along the transition

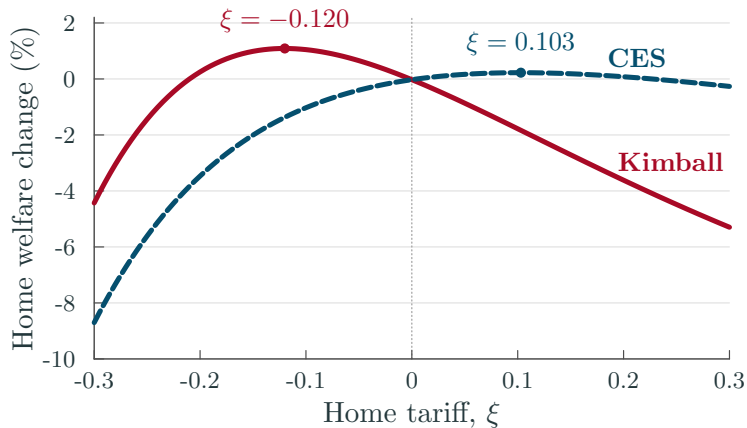
# Dynamic Mechanism



# Aggregate Dynamics



# Dynamic Optimal Tariffs



**Kimball:**  $\xi = -12.0\%$     versus    **CES:**  $\xi = 10.3\%$

# Country Size and Optimal Tariffs

- Extend the model to  $S$  symmetric Foreign economies

$$x_{mt}(z) = \left[ x_{mt}^h(z)^{\frac{\gamma-1}{\gamma}} + S x_{mt}^f(z)^{\frac{\gamma-1}{\gamma}} \right]^{\frac{\gamma}{\gamma-1}}$$

Home accounts for  $1/(1+S)$  of world trade;  $\kappa$  adjusts to keep import share fixed

|           | Kimball          |                 | CES              |                 |
|-----------|------------------|-----------------|------------------|-----------------|
|           | moving $\bar{z}$ | fixed $\bar{z}$ | moving $\bar{z}$ | fixed $\bar{z}$ |
| $S = 1$   | -0.120           | 0.212           | 0.103            | 0.243           |
| $S = 3$   | -0.033           | 0.294           | 0.158            | 0.233           |
| $S = 100$ | 0.199            | 0.341           | 0.185            | 0.228           |

# Why Larger Countries Want Lower Tariffs

- Foreign exposure to Home is larger when Home is large

$$P_{mt}^* = \left[ 1 + (S - 1)(1 + \kappa)^{1-\gamma} + \left( \frac{1 + \kappa}{E_t} \right)^{1-\gamma} \right]^{\frac{1}{1-\gamma}}.$$

Small  $S$  means Home is large: the Home term matters more for Foreign costs

- A Home tariff then lowers Foreign consumption and Home exports
- Less appreciation means the tariff raises Home import costs more

$$d \log \tau_t = d \log(1 + \xi_t) + d \log E_t$$

# Conclusions

- Key importer characteristics in the data
  1. Few firms import, yet importers account for large share of employment
  2. Charge markups that increase with size
- Model consistent with evidence implies importers are too small and too few
- Tariffs are costly because they further shrink importers along both margins
- This loss dominates the terms-of-trade motive for tariff
- Optimal policy is an import subsidy, even without retaliation